

A CLASS OF FIRST ORDER LINEAR PARTIAL DIFFERENTIAL OPERATORS ON MANIFOLDS

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Let M be a connected C^∞ manifold, if M is embedded on \mathbb{R}^k we can produce a large class of functions $F = C^\infty(M, \mathbb{R})$ and operators on F . The objective of this talk is to present some results on existence of a class of first order linear differential operators on F and its properties. The operators will be related with smooth injective mappings defined on M . Results in collaboration with F. Braun, J. Hounie, M. Silva, J. Tavares and further investigations will support the assertions.

References

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